# Dimerization Paths of $\mathrm{CH}_{2}$ and $\mathrm{SiH}_{2}$ Fragments to Ethylene, Disilene, and Silaethylene: MCSCF and MRCI Study of Least- and Non-Least-Motion Paths 

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#### Abstract

Dimerization of $\mathrm{CH}_{2}$ and $\mathrm{SiH}_{2}$ in both singlet and triplet states is investigated by MCSCF and MRCI in connection with the least-motion path vs. the non-least-motion path. Two ground-state $\left({ }^{3} \mathrm{~B}_{1}\right)$ methylenes in the non-least-motion path give a ground-state ethylene without barrier. The ground-state ( ${ }^{1} \mathrm{~A}_{1}$ ) silylenes give a ground-state disilene with barrier in the least-motion path and without barrier in the non-least-motion path. As a mixed system, silaethylene is also investigated. A ground-state ( ${ }^{3} \mathrm{~B}_{1}$ ) methylene and an excited-state $\left({ }^{3} \mathrm{~B}_{1}\right)$ silylene give a ground-state silaethylene without barrier in the least-motion path, and an excited-state methylene ( ${ }^{1} \mathrm{~A}_{1}$ ) and a ground-state ( ${ }^{1} \mathrm{~A}_{1}$ ) silylene also give a ground-state silaethylene without barrier in the non-least-motion path.


Dimerization of singlet methylenes to form a ground-state ethylene had been considered as a textbook example for the non-least-motion reaction path. In the least-motion path $\left(D_{2 h}\right)$ four valence electrons, originally two in the $\sigma$ orbital of a $\mathrm{CH}_{2}$ unit ( $\sigma_{\mathrm{A}}$ ) and two in the $\sigma$ orbital in the other $\mathrm{CH}_{2}$ unit ( $\sigma_{\mathrm{B}}$ ), have to fill a $\sigma_{\mathrm{g}}$ and a $\pi_{\mathrm{u}}$ orbital in ethylene, and $\sigma_{\mathrm{A}}{ }^{2} \sigma_{\mathrm{B}}{ }^{2} \rightarrow \sigma_{\mathrm{g}}{ }^{2} \pi_{\mathrm{u}}{ }^{2}$ is symmetry forbidden. In a non-least-motion path proposed by Hoffmann, Gleiter, and Mallory (hereafter referred as HGM), ${ }^{2}$ the reaction path starts with a $C_{s}$ symmetry, mixing $\sigma$ and $\pi$ orbitals and making the process symmetry allowed, and then takes a higher symmetry of $D_{2 h}$ in a later stage of reaction. This argument, however, is based on an extended Hückel method, i.e., a single determinant wave function, which is insufficient to describe essential electronic configurations. Moreover, the ground state of $\mathrm{CH}_{2}$ is a triplet, ${ }^{3}{ }^{3} \mathrm{~B}_{1}$, and the above argument does not apply to dimerization of triplets.

Recent ab initio calculations have shown that two ground-state triplet methylenes can dimerize via the least-motion path without barrier to give the ground-state ethylene. ${ }^{4}$ On the other hand two singlet methylenes dimerize via the least-motion path to give a Rydberg excited state of ethylene. ${ }^{5}$ A conclusion is that methylene dimerization is not a good example of non-least-motion reaction.

There remain several questions to be answered. Here, we have studied dimerization of singlet methylenes and triplet methylenes via a non-least-motion path. Is there a barrier along the HGM non-least-motion path? What is the state formed in the non-least-motion dimerization of methylenes? We have also studied dimerization of triplet and singlet silylene $\left(\mathrm{SiH}_{2}\right)$ both via the least-motion and a non-least-motion path. The ground state of silylene is a singlet, ${ }^{1} \mathrm{~A}_{1}$, and the lowest triplet ${ }^{3} \mathrm{~B}_{1}$ is the first excited state, opposite to the case of methylene. The coupling reaction of $\mathrm{CH}_{2}$ and $\mathrm{SiH}_{2}$ to give silaethylene $\mathrm{CH}_{2} \mathrm{SiH}_{2}$ via the least-motion and a non-least-motion path has also been investigated.

## Method of Calculation

The basis set used in this study consists of the Dunning-Hay contracted Gaussian functions, ${ }^{6}$ [3s2p] on carbon, [6s4p] on silicon, and [2s] on hydrogen, augmented with the polarizationd functions ( $\alpha_{d}=0.75$ for carbon ${ }^{6}$ and 0.60 for silicon ${ }^{7 a}$ ). In the calculation of $\mathrm{CH}_{2} \mathrm{CH}_{2}$, a set of

[^0]diffuse basis functions ( $\alpha_{\mathrm{s}}=0.023$ and $\left.\alpha_{\mathrm{p}}=0.021\right)^{6}$ describing Rydberg states was also added to carbon atoms. The number of basis functions is 19 (without Rydberg AO's) or 23 (with Rydberg AO's) for $\mathrm{CH}_{2}$ and 28 for $\mathrm{SiH}_{2}$. For $\mathrm{CH}_{2} \mathrm{CH}_{2}$, the HGM non-least-motion path was adopted and extended, as described later. For $\mathrm{SiH}_{2} \mathrm{SiH}_{2}$ and $\mathrm{CH}_{2} \mathrm{SiH}_{2}$ the non-least-motion paths were determined with the Hartree-Fock-Roothaan (HFR) energy gradient with the GAUSSIAN80 ${ }^{8}$ program, by minimizing the energy at several $\mathrm{Si}-\mathrm{Si}$ or C -Si distances, respectively, with respect to all the other degrees of freedom. Potential curves were obtained with the MCSCF wave function with the GAMEss ${ }^{9}$ program along the leastmotion and the above determined non-least-motion paths. The MCSCF wave function is of 4 -electron/4-orbital complete active space (CAS) type and the number of electronic configurations is 20 in the $C_{s}$ symmetry. Four active orbitals are $\sigma, \pi, \pi^{*}$, and $\sigma^{*}$ in the least-motion path ( $D_{2 h}$ for $\mathrm{CH}_{2} \mathrm{CH}_{2}$ and $\mathrm{SiH}_{2} \mathrm{SiH}_{2}$, and $\mathrm{C}_{2 v}$ for $\mathrm{CH}_{2} \mathrm{SiH}_{2}$ ) and their mixtures (all in a' symmetry in $C_{s}$ ) in the non-least-motion path. Along the non-least-motion path of $\mathrm{CH}_{2} \mathrm{CH}_{2}$ we also calculated multireference CI (MRCI) energy by the use of the MELD ${ }^{10}$ program, where orbitals obtained by the MCSCF calculation were used and all the single and double excitations ( 6332 spin-adapted configurations) from the four active orbitals to all virtual orbitals were included.

## $\mathrm{CH}_{2}$ and $\mathrm{SiH}_{2}$ Fragments

(A) $\mathrm{CH}_{2}$. The geometries for the first ${ }^{3} \mathrm{~B}_{1}$ and ${ }^{1} \mathrm{~A}_{1}$ states were optimized with the open-shell $\mathrm{HFR}^{11}$ and the 2-electron/2-orbital (and 2-electron/3-orbital) CAS MCSCF wave function, respectively. The optimized geometry for each state and the energies of both states at optimized geometries are given in Table I with other theoretical ${ }^{12.13}$ and experimental ${ }^{14-16}$ results. The optimum HCH bond angle is $128.7^{\circ}$ for ${ }^{3} \mathrm{~B}_{1}$ and $103.2^{\circ}$ for ${ }^{1} \mathrm{~A}_{1}$ without the Rydberg basis functions, and these diffuse basis functions do not have any significant effect on either energy or geometry of the ground state. The bond angle for the ${ }^{3} \mathrm{~B}_{1}$ state is calculated

[^1]Table I. Geometry and Energy of $\mathrm{CH}_{2}$

| method | state | $\angle \mathrm{HCH}, \mathrm{deg}$ | $R(\mathrm{C}-\mathrm{H}), \AA$ | energy, hartree | $\Delta E, \mathrm{kcal} \mathrm{mol}^{-1}$ | ref |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GVB-POLCI | ${ }^{3} \mathrm{~B}_{1}$ | 133.2 | 1.084 |  | 0.0 | 12(a) |
|  | ${ }^{1} \mathrm{~A}_{1}$ | 101.8 | 1.113 |  | 10.4 |  |
| MRDCI | ${ }^{3} \mathrm{~B}_{1}$ | 132.3 | 1.076 | -39.0849 | 0.0 | 12b |
|  | ${ }^{1} \mathrm{~A}_{1}$ | 102.9 | 1.111 |  | 11.1 |  |
| MCSCF | ${ }^{3} \mathrm{~B}_{1}$ | 131.7 | 1.098 |  | 0.0 | 13 |
|  | ${ }^{1} \mathrm{~A}_{1}$ | 102.0 | 1.128 |  | 9.80 |  |
| MC-1 with Rydberg $\mathrm{AO}^{\text {a }}$ | ${ }^{3} \mathrm{~B}_{1}$ | 128.9 | $1.073^{b}$ | -38.923938 | 0.0 | this work |
|  |  | 103.2 | $1.099^{\text {c }}$ | -38.909326 | 9.2 |  |
|  | ${ }^{1} \mathrm{~A}_{1}$ | 103.2 | $1.099^{c}$ | -38.902592 | 13.4 |  |
|  |  | 128.9 | $1.073^{\text {b }}$ | -38.886833 | 23.3 |  |
| MC-2 without Rydberg $\mathrm{AO}^{\text {a }}$ | ${ }^{3} \mathbf{B}_{1}$ | 128.7 | $1.074^{\text {b }}$ | -38.923812 | 0.0 | this work |
|  |  | 103.2 | $1.100^{c}$ | -38.909115 | 9.2 |  |
|  | ${ }^{1} \mathrm{~A}_{1}$ | 103.2 | $1.100^{c}$ | -38.902068 | 13.6 |  |
|  |  | 128.7 | $1.074^{b}$ | -38.886461 | 23.4 |  |
| MC-2 with Rydberg $\mathrm{AO}^{\text {a }}$ | ${ }^{3} \mathrm{~B}_{1}$ | 120.0 | $1.100^{\text {d }}$ | -38.921619 | 0.0 | this work |
|  | ${ }^{1} \mathrm{~A}_{1}$ | 120.0 | $1.100^{d}$ | -38.895309 | 16.5 |  |
| exptl | ${ }^{3} \mathrm{~B}_{1}$ | 133.8 | 1.075 |  | 0.0 | 14 |
|  | ${ }^{1} \mathrm{~A}_{1}$ | 102.4 | 1.11 |  |  | 15 |
|  | ${ }^{1} \mathrm{~A}_{1}$ |  |  |  | 9.05 | 16 |

${ }^{a}$ Calculational method is open-shell HFR for ${ }^{3} \mathrm{~B}_{1}$ and 2-electron/3-orbital CAS MCSCF (MC-1) or 2-electron/2-orbital CAS MCSCF (MC-2) for ${ }^{1} \mathrm{~A}_{1}$. ${ }^{b}$ Optimum geometry for the ${ }^{3} \mathrm{~B}_{1}$ state. ${ }^{c}$ Optimum geometry for the ${ }^{1} \mathrm{~A}_{1}$ state. ${ }^{d}$ Geometry of HGM's methylene (ref 2 ).

Table II. Geometry and Energy of $\mathrm{SiH}_{2}$

| method | state | $\angle \mathrm{HSiH}, \mathrm{deg}$ | $R(\mathrm{Si}-\mathrm{H}), \AA$ | energy, hartree | $\Delta E, \mathrm{kcal} \mathrm{mol}^{-1}$ | ref |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| MRSDCI | ${ }^{1} \mathrm{~A}_{1}$ | 93.9 | 1.505 | -290.10268 | $\begin{array}{r} 0.0 \\ 16.8 \end{array}$ | 18 |
|  | ${ }^{3} \mathrm{~B}_{1}$ | 118.1 | 1.466 |  |  |  |
| MCSCF | ${ }^{1} \mathrm{~A}_{1}$ | 92.75 | 1.534 | -290.065223 | 0.0 | 13 |
|  | ${ }^{3} \mathrm{~B}_{1}$ | 118.3 | 1.497 |  | 17.5 |  |
| $\mathrm{MCSCF}^{\text {a }}$ | ${ }^{1} \mathrm{~A}_{1}$ | 93.9 | $1.497^{6}$ | -290.013076 | 0.0 | this work |
|  |  | 118.0 | $1.460^{\circ}$ | -289.996446 | 10.4 |  |
|  | ${ }^{3} \mathrm{~B}_{1}$ | 118.0 | $1.460^{c}$ | $-289.989313$ | 15.2 |  |
|  |  | 93.9 | $1.497{ }^{\text {b }}$ | -289.975665 | 23.5 |  |
| exptl | ${ }^{1} \mathrm{~A}_{1}$ | 92.1 | 1.516 |  | 0.0 | 19 |

${ }^{a}$ Calculational method is 2-electron/2-orbital CAS MCSCF for ${ }^{1} \mathrm{~A}_{1}$ and open-shell HFR for ${ }^{3} \mathrm{~B}_{1}$. ${ }^{b}$ Optimum geometry for the ${ }^{1} \mathrm{~A}_{1}$ state. ${ }^{\text {c }}$ Optimum geometry for the ${ }^{3} \mathrm{~B}_{1}$ state.
slightly smaller than the experimental and other theoretical results. The ${ }^{3} \mathrm{~B}_{1}$ state is more stable than the ${ }^{1} \mathrm{~A}_{1}$ state by $13.6 \mathrm{kcal} / \mathrm{mol}$. This is a reasonable value for the level of our calculation in comparison with more accurate theoretical values, 10.4, 11.1, 9.80 $\mathrm{kcal} / \mathrm{mol}$, and the experimental value $9.05 \mathrm{kcal} / \mathrm{mol}$. We note that the experimental HCH bond angle $117.6^{\circ}$ and $\mathrm{C}-\mathrm{H}$ bond length $1.086 \AA$ of $\mathrm{CH}_{2} \mathrm{CH}_{2}$ in the ground state ${ }^{17}$ are respectively in between those in the ${ }^{3} \mathrm{~B}_{1}$ state and in the ${ }^{1} \mathrm{~A}_{1}$ state of isolated $\mathrm{CH}_{2}$. Vertically excited and de-excited states were also calculated. It is estimated by theoretical ${ }^{12}$ and experimental ${ }^{16}$ studies that the energy of the ${ }^{3} \mathrm{~B}_{1}$ state is very close to that of the ${ }^{1} \mathrm{~A}_{1}$ state at the ${ }^{1} \mathrm{~A}_{1}$ optimum geometry. Here, the ${ }^{3} \mathrm{~B}_{1}$ state is calculated slightly more stable than the ${ }^{1} \mathrm{~A}_{1}$ state at the ${ }^{1} \mathrm{~A}_{1}$ optimum geometry. At the structure of $\mathrm{CH}_{2}$ fragment used in the HGM non-least-motion path, ${ }^{2} R(\mathrm{C}-\mathrm{H})=1.10 \AA$ and $\angle \mathrm{HCH}=120^{\circ}$, the singlet-triplet energy separation is calculated to be 16.5 $\mathrm{kcal} / \mathrm{mol}$. In the following we will adopt this geometry for $\mathrm{CH}_{2}$ fragments to trace the non-least-motion path to reach $\mathrm{CH}_{2} \mathrm{CH}_{2}$.
(B) $\mathrm{SiH}_{2}$. Our interest in the calculation of $\mathrm{SiH}_{2}+\mathrm{SiH}_{2}$ and $\mathrm{CH}_{2}+\mathrm{SiH}_{2}$ is to compare the dimerization path with $\mathrm{CH}_{2}+\mathrm{CH}_{2}$ in the ground state, and, therefore, no Rydberg basis set was augmented on the Si atom. Calculated results for $\mathrm{SiH}_{2}$ are given in Table II with other theoretical ${ }^{13,18}$ and experimental results. ${ }^{19}$

[^2]The ${ }^{1} \mathrm{~A}_{1}$ state is found to be more stable than the ${ }^{3} \mathrm{~B}_{1}$ by 15.2 $\mathrm{kcal} / \mathrm{mol}$, and it is the situation opposite to that of $\mathrm{CH}_{2}$. The bond angle $\angle \mathrm{HSiH}$ in ${ }^{1} \mathrm{~A}_{1}$ is much smaller than that of ${ }^{3} \mathrm{~B}_{1}$. Our results are reasonable in comparison with the experimental and other theoretical results. Vertical excited and de-excited states were also calculated. Even at the optimum geometry for ${ }^{3} \mathrm{~B}_{1}$, the ${ }^{1} \mathrm{~A}_{1}$ state is more stable than the ${ }^{3} \mathrm{~B}_{1}$ state. Recently, Rice and Handy have reported a 6 -electron/ 6 -orbital and 6 -electron $/ 8$-orbital MCSCF study on the ground and lower excited states of $\mathrm{SiH}_{2} \cdot{ }^{13}$ The ${ }^{1} \mathrm{~A}_{1}$ state, in their study, is also more stable than the ${ }^{3} \mathrm{~B}_{1}$ state even at the optimum structure for ${ }^{3} \mathrm{~B}_{1}$. Crossing occurs around $130^{\circ}$, an angle larger than either of the two optima.
Thus, there is no crossing of the potential curves along the bond angle coordinate between the bond angle optimum for the triplet state and that for the singlet state. The ${ }^{3} \mathrm{~B}_{1}$ state is always more stable than the ${ }^{1} \mathrm{~A}_{1}$ state in $\mathrm{CH}_{2}$ and the ${ }^{1} \mathrm{~A}_{1}$ is always more stable than the ${ }^{3} \mathrm{~B}_{1}$ in $\mathrm{SiH}_{2}$. In the case of $\mathrm{CH}_{2}$, however, calculations more accurate than ours may be needed for a quantitative discussion of the relative stability of the ${ }^{3} \mathrm{~B}_{1}$ state at the ${ }^{1} \mathrm{~A}_{1}$ optimum geometry.

## Non-Least-Motion Dimerization $\mathrm{CH}_{2}+\mathrm{CH}_{\mathbf{2}} \rightarrow \mathrm{CH}_{2} \mathrm{CH}_{2}$

As discussed in a preceding section, the least motion $\left(D_{2 h}\right)$ approach in $\mathrm{CH}_{2}+\mathrm{CH}_{2}$ has already been investigated in some MCSCF calculations. ${ }^{4,5,7 c}$ Along this path two triplet ( ${ }^{3} \mathrm{~B}_{1}$ ) methylenes form the ground state of ethylene without any barrier. On the other hand, two singlet ( ${ }^{1} \mathrm{~A}_{1}$ ) methylenes do not form the ground state, but go to a Rydberg excited state of ${ }^{1} \mathrm{~A}_{8}$ symmetry. ${ }^{5}$ Concerning the non-least-motion path of dimerization of $\mathrm{CH}_{2}$ fragments, HGM extended Hückel result was that two singlet

Table III. HGM Non-Least-Motion Path and Its Extention for $\mathrm{CH}_{2}$ $+\mathrm{CH}_{2}{ }^{\text {a }}$

| $R(\mathrm{C}-\mathrm{C}), \AA$ | $\phi_{1},{ }^{b} \mathrm{deg}$ | $\phi_{2},{ }^{b} \mathrm{deg}$ |
| :---: | :---: | :---: |
| 1.30 | 0.0 | 0.0 |
| 1.35 | 0.0 | 0.0 |
| 1.40 | 0.0 | 0.0 |
| 1.50 | 0.0 | 0.0 |
| 1.60 | 0.0 | 0.0 |
| 1.70 | 0.0 | 0.0 |
| 1.80 | 0.0 | 0.0 |
| 1.90 | 0.0 | 0.0 |
| 2.00 | 0.0 | 0.0 |
| 2.20 | 16.0 | 16.0 |
| 2.30 | 27.0 | 27.0 |
| 2.40 | 34.0 | 34.0 |
| 2.45 | 37.0 | 37.0 |
| 2.50 | 54.0 | 24.0 |
| 2.55 | 62.0 | 20.0 |
| 2.60 | 67.0 | 16.0 |
| 2.80 | 78.0 | 9.0 |
| 3.00 | 84.0 | 6.0 |
| 4.00 | 89.0 | 2.0 |

${ }^{a} R(\mathrm{C}-\mathrm{H})$ and $\angle \mathrm{HCH}$ are fixed to $1.10 \AA$ and $120^{\circ}$, respectively. ${ }^{b} \phi_{1}$ and $\phi_{2}$ are the bending angles from the $\mathrm{C}-\mathrm{C}$ axis to the trans form in $C_{s}$ or $C_{2 h}$ structure.



Figure 1. Potential curves for dimerization of $\mathrm{CH}_{2}$ along the HGM non-least-motion path as a function of $R(\mathrm{C}-\mathrm{C})$. MRCI calculations with MCSCF orbitals.
methylenes formed the ground ${ }^{1} \mathrm{~A}_{\mathrm{g}}$ state of ethylene with no barrier. In the following, we study the $\mathrm{CH}_{2}$ dimerization process in both the ground and lower excited states along the HGM non-least-motion path, using correlated wave functions needed to describe the process properly. We have used the non-leastmotion path determined by HGM and augmented it with a few more points at a short C-C distance in $D_{2 h}$ symmetry, as given in Table III. At the far end of this path where the overall symmetry is $C_{s}$, one $\mathrm{CH}_{2}$ has its $C_{2 v}$ axis nearly parallel to the line of approach whereas the other $\mathrm{CH}_{2}$ has its $C_{2 v}$ axis nearly perpendicular to the line of approach. At $2.45 \AA$ of $\mathrm{C}-\mathrm{C}$ separation, the bending angles of two $\mathrm{CH}_{2}$ units become equal with an overall $C_{2 h}$ symmetry and a trans conformation. At $2.00 \AA$ the bending angles become zero and the entire system is planar $\left(D_{2 h}\right)$. The HGM $D_{2 h}$ path was extended from 2.00 to $1.30 \AA$, in order to trace the reaction to completion. The structure of $\mathrm{CH}_{2}$ fragments are fixed at $R(\mathrm{C}-\mathrm{H})=1.10 \AA$ and $\angle \mathrm{HCH}=120^{\circ}$ throughout the path.

In Figure 1 the potential energy curves along the non-leastmotion path for the ground and some excited states are shown. Two triplet ( ${ }^{3} \mathrm{~B}_{1}$ ) methylenes approach each other on the ground-state singlet curve and without barrier go to the ground state of ethylene. The situation is essentially the same with the least-motion dimerization, but different from the HGM results where two singlet $\left({ }^{1} \mathrm{~A}_{1}\right)$ methylenes are to form the ground-state ethylene. The dimerization of two singlet ( ${ }^{1} \mathrm{~A}_{1}$ ) methylenes in


Figure 2. Potential curves for dimerization of $\mathrm{SiH}_{2}$ along the least-motion path. $\angle \mathrm{HSiH}$ and $R(\mathrm{Si}-\mathrm{H})$ are fixed to $93.9^{\circ}$ and $1.497 \AA$ for curve A and $118.0^{\circ}$ and $1.460 \AA$ for curves $B$ and C, respectively. MCSCF calculations.

Figure 1 follows the first excited state, which is a valence excited state at long distance, goes over a barrier caused by avoided crossing, and becomes a Rydberg excited state of ethylene. This situation is again similar to the case of the least-motion path. The third and fourth states both represent the dimerization of $\mathrm{CH}_{2}\left({ }^{1} \mathrm{~A}_{1}\right)$ $+\mathrm{CH}_{2}\left({ }^{1} \mathrm{~B}_{1}\right)$ or $\mathrm{CH}_{2}\left({ }^{1} \mathrm{~B}_{1}\right)+\mathrm{CH}_{2}\left({ }^{1} \mathrm{~A}_{1}\right)$. They are nearly degenerate up to around $2.3 \AA$, inside of which the lower state without barrier forms an excited ethylene.

## Dimerization $\mathrm{SiH}_{\mathbf{2}}+\mathrm{SiH}_{\mathbf{2}} \rightarrow \mathrm{SiH}_{2} \mathrm{SiH}_{2}$

There are few ab initio calculations about disilene, ${ }^{20}$ and there is some confusion on the ground-state conformation whether it is planar ( $D_{2 h}$ ) or trans ( $C_{2 h}$ ). The calculated energy difference between planar and trans conformation is, however, found to be very small. In Table IV, the optimized geometry by HFR is given for $D_{2 h}$ and $C_{2 h}$ structures. In our results, the trans form is slightly more stable than the planar structure by $0.08 \mathrm{kcal} / \mathrm{mol}$ in the HFR calculation. In the following study on the dimerization path of two $\mathrm{SiH}_{2}$ fragments, this small energy difference in the vicinity of the equilibrium structure is not so important. One notes that the HSiH bond angle and $\mathrm{Si}-\mathrm{H}$ bond length of disilene are very close to those of $\mathrm{SiH}_{2}$ in the ${ }^{3} \mathrm{~B}_{1}$ state in Table II.
(A) Along the Least-Motion Path. Figure 2 shows three potential energy curves for overall singlet states for the dimerization of $\mathrm{SiH}_{2}$ along the least-motion path. In curve A , the $\mathrm{Si}-\mathrm{H}$ distance and the HSiH angle are fixed at the calculated values for the ${ }^{1} \mathrm{~A}_{1}$ ground state of $\mathrm{SiH}_{2}$, i.e., $1.497 \AA$ and $93.9^{\circ}$, respectively. This curve thus represents the dimerization of singlet silylenes in the least-motion path. Figure 2 and the analysis of the wave function indicate that in the first half of the dimerization reaction the potential curve is repulsive as the $\mathrm{Si}-\mathrm{Si}$ distance decreases, and the total singlet wave function consists mainly, as expected, of a product of $\sigma^{2}$ singlet wave functions of the reactants. Around $3.1 \AA$ the triplet $(\sigma \pi) \times$ triplet $(\sigma \pi)$ configuration takes over, which is attractive and leads to the ground-state disilene. The barrier is caused by avoided crossing between these two major configurations and is a typical example of symmetry-forbidden reactions.
Both curves B and C assume the $\mathrm{Si}-\mathrm{H}$ distance and HSiH angle fixed at the calculated values for ${ }^{3} \mathrm{~B}_{1} \mathrm{SiH}_{2}$, i.e., $1.460 \AA$ and $118.0^{\circ}$, respectively. In our calculation of $\mathrm{SiH}_{2}$ even at this geometry the singlet is lower in energy than the triplet. Therefore, the lower curve $B$, as in curve $A$, consists mainly of a singlet $X$ singlet configuration and becomes a triplet $\times$ triplet inside the barrier due to avoided crossing around $4.0 \AA$. The barrier is earlier in curve B than in curve A , because the assumed fragment geometries in curve B are more favorable to the triplet $\times$ triplet configuration than the singlet $X$ singlet configuration. The upper curve $C$ represents the least-motion path for dimerization of ${ }^{3} \mathrm{~B}_{1}$ silylenes. The triplet $\times$ triplet wave function at a long distance goes through
(20) (a) Poirier, R. A.; Goddard, J. D. Chem. Phys. Lett. 1981, 80, 37. (b) Lischka, H.; Kohler, H. J. Chem. Phys. Lett. 1982, 85, 467.

Table IV. Geometry and Energy of $\mathrm{SiH}_{2} \mathrm{SiH}_{2}$

| state | $R(\mathrm{Si}-\mathrm{Si}), \AA$ | $R(\mathrm{Si}-\mathrm{H}), \AA$ | $\angle \mathrm{HSiH}, \mathrm{deg}$ | $\phi^{a}{ }^{a}$ deg | energy, hartree | $\Delta E, \mathrm{kcal} \mathrm{mol}{ }^{-1}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ${ }^{1} \mathrm{~A}_{\mathrm{g}}\left(D_{2 h}\right)$ | 2.119 | 1.456 | 115.6 | 0.0 | -580.070185 | 0.00 |
| ${ }^{1} \mathrm{~A}_{\mathrm{g}}\left(C_{2 h}\right)$ | 2.127 | 1.456 | 114.7 | 15.6 | $-580.106834^{b}$ | 0.00 |

${ }^{a} \phi$ is the bending angle from the $\mathrm{Si}-\mathrm{Si}$ axis to the trans form. ${ }^{b} 4$-Electron/4-orbital CAS MCSCF energy calculated at HFR optimized geometry.
Table V. Non-Least-Motion Path of $\mathrm{SiH}_{2} \mathrm{SiH}_{2}{ }^{a}{ }^{\text {b }}$

| $R(\mathrm{Si}-\mathrm{Si}), \AA$ | $\phi_{1}, \mathrm{deg}$ | $\theta_{1}, \mathrm{deg}$ | $R_{1}(\mathrm{Si}-\mathrm{H}), \AA$ | $\phi_{2}, \mathrm{deg}$ | $\theta_{2}, \mathrm{deg}$ | $R_{2}(\mathrm{Si}-\mathrm{H}), \AA$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2.127 | 15.6 | 114.7 | 1.456 | 15.6 | 114.7 | 1.456 |
| 2.40 | 15.0 | 109.7 | 1.463 | 39.4 | 108.8 | 1.469 |
| 2.60 | 14.5 | 106.1 | 1.468 | 56.9 | 104.5 | 1.478 |
| 2.80 | 14.0 | 102.5 | 1.474 | 74.3 | 100.1 | 1.487 |
| 3.00 | 3.5 | 98.8 | 1.479 | 95.8 | 1.496 |  |
| 3.40 | 0.4 | 96.7 | 1.485 | 97.9 | 94.2 | 1.499 |
| 3.80 | 9.5 | 94.8 | 1.489 | 99.6 | 93.8 | 1.498 |
| 4.20 |  | 1.492 | 99.5 | 93.7 | 1.497 |  |

${ }^{a} \phi_{1}$ is the bending angle of the $\mathrm{SiH}_{2}$ fragment in the left-hand side and $\phi_{2}$ is that of the other fragment to the trans form.

$\theta_{1}$ is the HSiH bond angle of the left-hand side $\mathrm{SiH}_{2}$ fragment and $\theta_{2}$ is that of the other $\mathrm{SiH}_{2}$ fragment. $R_{1}(\mathrm{Si}-\mathrm{H})$ is the SiH bond length of the left-hand fragment and $R_{2}(\mathrm{Si}-\mathrm{H})$ is that of the other fragment. ${ }^{b}$ The geometrical parameters at $R(\mathrm{Si}-\mathrm{Si})=2.40,2.60$, and $2.80 \AA$ are not optimized by HFR energy gradient but obtained by linear interpolation between 2.127 and $3.00 \AA$.

Table VI. Geometry and Energy of $\mathrm{CH}_{2} \mathrm{SiH}_{2}$

| state | $R(\mathrm{C}-\mathrm{Si}), \AA$ | $R(\mathrm{C}-\mathrm{H}), \AA$ | $\angle \mathrm{HCH}, \mathrm{deg}$ | $R(\mathrm{Si}-\mathrm{H}), \AA$ | $\angle \mathrm{HSiH}, \mathrm{deg}$ | energy, hartree |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ${ }^{1} \mathrm{~A}_{\mathrm{g}}\left(\mathrm{C}_{20}\right)$ | 1.692 | 1.077 | 114.8 | 1.455 | 114.3 | -329.044427 |
|  |  |  |  |  | $-329.093355^{a}$ |  |

${ }^{a}$ 4-Electron/4-orbital CAS MCSCF energy calculated at HFR optimized geometry.
an avoided crossing with curve B and is adiabatically correlated to an excited state of disilene.
(B) Along the Non-Least-Motion Path. An "approximate" non-least-motion path for dimerization of singlet $\mathrm{SiH}_{2}$ was determined by HFR optimization of geometrical parameters as functions of the $\mathrm{Si}-\mathrm{Si}$ distance and is listed in Table V . The geometrical parameters were interpolated linearly between $R$ -$(\mathrm{Si}-\mathrm{Si})=2.127$ and $3.00 \AA$ because of the difficulty of convergence of geometry optimization. This difficulty comes from the inadequacy of the single determinant wave function around the avoided crossing region, and the non-least-motion path determined here may not be energitically the best path. Our interest is, however, to prove the existance of a non-least-motion path along which two silylenes dimerize without a barrier. The interpolation is also not a serious problem for the same reason. The energy along this approximate path is calculated with a more reliable 4-electron/4-orbital CAS MCSCF wave function. In an early stage $\mathrm{SiH}_{2}$ units have singlet-like structure, one of them having its $C_{2 v}$ axis nearly parallel and the other perpendicular to the line of approach. In the final stage two $\mathrm{SiH}_{2}$ units have triplet-like structure, the trans bending angles becoming small and equal. The MCSCF potential energy curve is shown in Figure 3. There is no barrier along this path starting from singlet silylenes.

In conclusion, the ground-state singlet $\mathrm{SiH}_{2}$ dimerizes to form the ground state of disilene, without barrier on the non-least-motion path and with substantial barrier on the least-motion path. Therefore, HGM's conclusion is found to be applicable to this case of $\mathrm{SiH}_{2}$ dimerization. The excited-state triplet $\mathrm{SiH}_{2}$ is adiabatically led to an excited state of disilene, but actually it is likely to form ground-state disilene with no barrier through nonadiabatic transition in the least-motion path. If the triplet silylene happens to be lower in energy than the singlet silylene at the optimum geometry of the triplet, nonadiabatic transition will not be needed and the least-motion path will give the ground-state product without barrier.

## Cross-Coupling $\mathrm{CH}_{2}+\mathrm{SiH}_{2} \rightarrow \mathrm{CH}_{2} \mathrm{SiH}_{2}$

In this mixed system the Rydberg basis set was not added on the carbon atom, since only the dimerization path in the ground


Figure 3. Potential curve for dimerization of $\mathrm{SiH}_{2}\left({ }^{1} \mathrm{~A}_{1}\right)$ along the non-least-motion path as a function of $R(\mathrm{Si}-\mathrm{Si})$. An MCSCF calculation.
state was studied. In Table VI, the geometry of $\mathrm{CH}_{2} \mathrm{SiH}_{2}$ optimized by HFR is given. The stable structure is planar $\mathrm{C}_{20}{ }^{7}{ }^{7}$ The bond angle $\angle \mathrm{HSiH}$ in $\mathrm{CH}_{2} \mathrm{SiH}_{2}$ is very near to that of the isolated $\mathrm{SiH}_{2}$ fragment in ${ }^{3} \mathrm{~B}_{1}$, while the bond angle $\angle \mathrm{HCH}$ is about the average value of those in ${ }^{3} \mathrm{~B}_{1}$ and ${ }^{1} \mathrm{~A}_{1}$ states of $\mathrm{CH}_{2}$.
(A) Along the Least-Motion Path. At the infinite separation of this mixed system, our calculations give the total energy of the singlet pairs slightly lower in energy than the triplet pairs. Therefore, as shown in Figure 4, the lowest least-motion path is curve A , where the fragment geometries are fixed at the optimum values for $\mathrm{CH}_{2}\left({ }^{1} \mathrm{~A}_{1}\right)$ and $\mathrm{SiH}_{2}\left({ }^{1} \mathrm{~A}_{1}\right)$. Curve A is repulsive, as all the least motion singlet $X$ singlet curves are, and goes over a large barrier around $3.2 \AA$ to reach the ground-state product. In curves B and C , the fragment geometries are frozen at the values in the equilibrium geometry of silaethylene $\mathrm{CH}_{2} \mathrm{SiH}_{2}$, which are not too far from those in the triplet fragments. The lowest curve B essentially describes the least-motion reaction for triplet pairs, which with no barrier reaches the ground-stage silaethylene. Curve C starts from distorted two-singlet pairs and is very repulsive.
(B) Along the Non-Least-Motion Path. The non-least-motion path of $\mathrm{CH}_{2} \mathrm{SiH}_{2}$ determined by HFR geometry optimization as a function of $\mathrm{C}-\mathrm{Si}^{2}$ distance is listed in Table VII. Figure 5 shows

Table VII. Non-Least-Motion Path of $\mathrm{CH}_{2} \mathrm{SiH}_{2}{ }^{\text {a }}$

| $R(\mathrm{C}-\mathrm{Si}), \AA$ | $\phi_{1}, \mathrm{deg}$ | $\theta_{1}, \mathrm{deg}$ | $R_{1}(\mathrm{C}-\mathrm{H}), \AA$ | $\phi_{2}, \mathrm{deg}$ | $\theta_{2}, \mathrm{deg}$ | $R_{2}(\mathrm{Si}-\mathrm{H}), \AA$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1.692 | 0.0 | 114.8 | 1.077 | 0.0 | 114.3 | 1.455 |
| 2.00 | 17.5 | 117.0 | 1.076 | 21.6 | 115.2 | 1.453 |
| 2.40 | 28.8 | 11.5 | 109.6 | 1.085 | 73.0 | 1.01 .2 |
| 2.60 | 4.8 | 107.8 | 1.088 | 96.8 | 1.483 |  |
| 2.80 | 2.0 | 106.8 | 1.089 | 96.3 | 1.495 |  |
| 3.00 | 0.6 | 106.2 | 1.091 | 98.3 | 94.4 | 1.498 |
| 3.20 | 0.4 | 105.4 | 1.092 | 99.3 | 94.1 | 1.499 |
| 3.60 | 0.4 | 104.8 | 1.094 | 99.5 | 93.8 | 1.499 |
| 4.00 | 0.3 | 104.2 | 1.095 | 99.5 | 93.8 | 1.498 |
| 5.00 |  |  | 98.7 | 93.5 | 1.497 |  |

${ }^{a} \phi_{1}$ is the bending angle of the $\mathrm{CH}_{2}$ fragment from the $\mathrm{C}-\mathrm{Si}$ axis and $\phi_{2}$ is that of the $\mathrm{SiH}_{2}$ fragment to the trans form.

$\theta_{1}$ is the HCH bond angle of the $\mathrm{CH}_{2}$ fragment and $\theta_{2}$ is the HSiH bond angle of the $\mathrm{SiH}_{2}$ fragment. $R_{1}(\mathrm{C}-\mathrm{H})$ is the $\mathrm{C}-\mathrm{H}$ bond length and $R_{2}(\mathrm{Si}-\mathrm{H})$ is the $\mathrm{Si}-\mathrm{H}$ bond length.


Figure 4. Potential curves for the cross coupling between $\mathrm{CH}_{2}$ and $\mathrm{SiH}_{2}$ along the least-motion path. $\angle \mathrm{HSiH}, R(\mathrm{Si}-\mathrm{H}), \angle \mathrm{HCH}$, and $R(\mathrm{C}-\mathrm{H})$ are fixed to $93.9^{\circ}, 1.497 \AA, 103.2^{\circ}$, and $1.100 \AA$ for curve $A$ and to $114.3^{\circ}$, $1.455 \AA, 114.8^{\circ}$, and $1.077 \AA$ for curves $B$ and C, respectively. MCSCF calculations.
the potential energy curve obtained by MCSCF along this non-least-motion path. The singlet pairs form the ground-state product without barrier.

One interesting point to note is that in the early stage of non-least-motion path the preferred geometry has the $\mathrm{SiH}_{2}$ plane nearly perpendicular to the line of approach and the $\mathrm{CH}_{2}$ plane nearly parallel to the line, as if $\mathrm{SiH}_{2}$ is acting as an electron acceptor and $\mathrm{CH}_{2}$ as an electron donor. An analysis reveals that in the early stage of reaction the electrostatic interaction is dominant and it is most favorable to have a large $\mathrm{CH}_{2}$ dipole aligned parallel to the line of approach. ${ }^{21}$

[^3]

Figure 5. Potential curve for the cross coupling between $\mathrm{CH}_{2}\left({ }^{1} \mathrm{~A}_{1}\right)$ and $\mathrm{SiH}_{2}\left({ }^{1} \mathrm{~A}_{1}\right)$ along the non-least-motion path as a function of $R(\mathrm{C}-\mathrm{Si})$. An MCSCF calculation.

## Discussion and Conclusions

We have investigated in detail the dimerization reaction paths of $\mathrm{CH}_{2}$ and $\mathrm{SiH}_{2}$ to $\mathrm{CH}_{2} \mathrm{CH}_{2}, \mathrm{SiH}_{2} \mathrm{SiH}_{2}$, and $\mathrm{CH}_{2} \mathrm{SiH}_{2}$. A single determinant wave function is not enough to describe the essential electronic structure in these dimerization reactions. A simple estimation based on the orbital symmetry rule has broken down in the case of dimerization of $\mathrm{CH}_{2}\left({ }^{1} \mathrm{~A}_{1}\right)$ along the non-least-motion path; two singlet methylenes dimerize via the non-least-motion path not to give a ground state but a Rydberg excited state of ethylene. The ground-state singlet $\mathrm{SiH}_{2}$ dimerizes to form the ground state of disilene without barrier along the non-least-motion path and with substantial barrier along the least-motion path. In the case of silaethylene, the singlet methylene and the singlet silylene form the ground state of silaethylene without barrier along the non-least-motion path. The triplet methylene and the triplet silylene also form the ground state of silaethylene without barrier along the least-motion path.

Potential energy curves plotted as functions of the $\mathrm{C}-\mathrm{C}, \mathrm{C}-\mathrm{Si}$, or $\mathrm{Si}-\mathrm{Si}$ distance change very much depending on the bond angles of $\mathrm{CH}_{2}$ or $\mathrm{SiH}_{2}$ fragment. The relative stability between the triplet $\times$ triplet electronic configuration and the singlet $\times$ singlet electronic configuration, which depends on the angles, determines the qualitative features of these potential curves. Schematic pictures of the potential curves in the least-motion path of dimerization reactions of $\mathrm{XH}_{2}$ and $\mathrm{YH}_{2}$ fragments to give disilene, silaethylene, and ethylene are shown in Figure 6 ( X or Y is C or Si ). The

## (1)



Figure 6. Schematic potential energy curves along the least-motion path for $\mathrm{XH}_{2}+\mathrm{YH}_{2} \rightarrow \mathrm{XH}_{2} \mathrm{YH}_{2}$ as functions of the bond angle $\angle \mathrm{HXH}=$ $\angle \mathrm{HYH}$ at various values of $\mathrm{X}-\mathrm{Y}$ bond lengths: (I) for $\mathrm{SiH}_{2}+\mathrm{SiH}_{2}$, (II) for $\mathrm{CH}_{2}+\mathrm{SiH}_{2}$, and (III) for $\mathrm{CH}_{2}+\mathrm{CH}_{2} . R(\mathrm{Si}-\mathrm{Si})$ is (I-A) $\infty$, (I-B) around $4.0 \AA$, (I-C) around $3.4 \AA$, (I-D) arund $3.1 \AA$, and (I-E) the product equilibrium distance. TT is the triplet $\times$ triplet and SS is the singlet $\times$ singlet electronic configuration. $\theta_{\text {opt }}(\mathrm{S})$ is an optimum bond angle for the singlet $\mathrm{XH}_{2}$ fragment and $\theta_{\text {opt }}(\mathrm{T})$ is that of the triplet $\mathrm{XH}_{2}$ fragment.
abscissa is the bond angle $\angle \mathrm{HXH}$ or $\angle \mathrm{HYH}$ and the ordinate is the total energy of the $\mathrm{XH}_{2} \mathrm{YH}_{2}$ molecule. SS represents the electronic configuration, singlet $\mathrm{XH}_{2} \times$ singlet $\mathrm{YH}_{2}$, and TT denotes the electronic configuration, triplet $\mathrm{XH}_{2} \times$ triplet $\mathrm{YH}_{2}$. Rydberg states are not considered here. Figures denoted by (I) show the case of disilene ( $\mathrm{X}=\mathrm{Y}=\mathrm{Si}$ ) at several $\mathrm{Si}-\mathrm{Si}$ bond
lengths. At $R(\mathrm{Si-Si})=\infty$, the SS configuration is always more stable than the TT at any angle between the optimum bond angle for singlet fragment $\theta_{\text {opt }}(\mathrm{S})$ and that of for triplet fragment $\theta_{\text {opt }}(\mathrm{T})$ (case I-A). Around $R(S i-S i)=4.0 \AA$ SS and TT levels become equal in energy, i.e., a crossing of two configurations (an avoided crossing of two adiabatic surfaces) begins near $\theta_{\text {opt }}(\mathrm{T})$ (case I-B). The crossing occurs at smaller angles, between $\theta_{\text {opt }}(\mathrm{S})$ and $\theta_{\text {opt }}(\mathrm{T})$, around $R(\mathrm{Si}-\mathrm{Si})=3.4 \AA$ (case I-C). The last crossing occurs at $\theta_{\text {opt }}(\mathrm{S})$ around $R(\mathrm{Si}-\mathrm{Si})=3.1 \AA$ (case $\left.\mathrm{I}-\mathrm{D}\right)$. The TT surface is always under the SS surface between $\theta_{\text {opt }}(\mathrm{S})$ and $\theta_{\text {opt }}(\mathrm{T})$ at the equilibrium $\mathrm{Si}-\mathrm{Si}$ bond length of disilene. In following cases $\mathrm{I}-\mathrm{A}$ to I-E, one can qualitatively visualize the change of bond angles as the reaction proceeds. If the dimerization reaction starts from the SS configuration with small bond angle $\theta_{\text {opt }}(\mathrm{S})$ at $R(\mathrm{Si}-\mathrm{Si})$ $=\infty$, it should cross over the potential barrier to the TT surface at some $R(\mathrm{Si}-\mathrm{Si})$ between $(\mathrm{I}-\mathrm{B})$ and $(\mathrm{I}-\mathrm{D})$, by expanding the HSiH bond angles from $\theta_{\text {opt }}(\mathrm{S})$ to $\theta_{\text {opt }}(\mathrm{T})$, and arrive at the equilibrium geometry of disilene. Thus, the reaction coordinate of dimerization should be a mix between the bond length $R(\mathrm{Si}-\mathrm{Si})$ and the bond angles $\angle \mathrm{HSiH}$. The case of $\mathrm{CH}_{2} \mathrm{SiH}_{2}$ is shown in Figure 6, case II. $\theta_{\text {opt }}(\mathrm{S})$ and $\theta_{\text {opt }}(\mathrm{T})$ of $\mathrm{CH}_{2}$ are different from those of $\mathrm{SiH}_{2}$. For qualitative consideration, however, no distinction has been made in this schematic potential picture. In this case, at $R(\mathrm{C}-\mathrm{Si})=\infty$, there is already a crossing of the energy curves along the bond angle coordinate. This picture (II-A) corresponds to (I-C) of $\mathrm{SiH}_{2} \mathrm{SiH}_{2}$ at $R(\mathrm{Si}-\mathrm{Si})=3.4 \AA$. If the dimerization path starts from the SS electronic configuration, it should cross over to the TT surface by expanding the bond angles with barrier before reaching to (II-D) and then arrive at the equilibrium geometry (II-E). On the other hand, if the reaction can start from TT at $\theta_{\text {opt }}(\mathrm{T})$, it will go to the product without a substantial change of bond angles and energy barrier. Figure 6, case III, is the case of $\mathrm{CH}_{2} \mathrm{CH}_{2}$. Even at $R(\mathrm{C}-\mathrm{C})=\infty$, the TT surface is always more stable than the SS along the bond angle coordinate, and it leads to the equilibrium geometry of ethylene without any potential barrier.

In the case of the non-least-motion path, we have two more geometrical factors, $\phi_{\mathrm{X}}$ and $\phi_{\mathrm{Y}}$, the bending angles of $\mathrm{XH}_{2}$ and $\mathrm{YH}_{2}$ fragments from the $\mathrm{X}-\mathrm{Y}$ axis, respectively. Figure 6 is a special case where $\phi_{\mathrm{X}}=\phi_{\mathrm{Y}}=0$. In the ground state along the non-least-motion path, there is no energy barrier for all of the three cases studied here.

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Registry No. $\mathrm{CH}_{2}, 2465-56-7$; $\mathrm{SiH}_{2}, 13825-90-6 ; \mathrm{CH}_{2} \mathrm{CH}_{2}, 74-85-1$; $\mathrm{SiH}_{2} \mathrm{SiH}_{2}, 15435-77-5 ; \mathrm{CH}_{2} \mathrm{SiH}_{2}, 51067-84-6$.


[^0]:    (1) Present address: Department of Chemistry, Indiana University, Bloomington, Indiana 47405 .
    (2) Hoffmann, R.; Gleiter, R.; Mallory, F. B. J. Am. Chem. Soc. 1970, 92, 1460.
    (3) (a) Herzberg, G.; Johns, J. W. C. J. Chem. Phys. 1971, 54, 2276. (b) Borden, W. T. "Diradicals"; John Wiley and Sons: New York, 1982.
    (4) (a) Basch, H. J. Chem. Phys. 1971, 55, 1700. (b) Cheung, L. M.; Sundberg, K. R.; Ruedenberg, K. Int. J. Quantum Chem. 1979, 16, I103. (c) Ruedenberg, K.; Schmidt, M. W.; Gilbert, M. M.; Elbert, S. T. Chem. Phys. 1982, 71, 41.
    (5) Feller, D.; Davidson, E. R. J. Phys. Chem. 1983, 87, 2721.

[^1]:    (6) Dunning, T. H., Jr.; Hay, D. J. "Modern Theoretical Chemistry"; Schaefer, H. F., III, Ed.; Plenum Press: New York, 1977.
    (7) (a) Yoshioka, Y.; Goddard, J. D.; Schaefer, H. F., III J. Am. Chem. Soc. 1981, 103, 2452 . (b) Sachaefer, H. F., III Acc. Chem. Res. 1982, 15 , 283. (c) Bernardi, F.; Robb, M. A. Mol. Phys. 1983, 48, 1345.
    (8) Binkley, J. S.; Whiteside, R. A.; Krishnan, R.; Seeger, R.; DeFrees, D. J.; Schlegel, H. B.; Topiol, S.; Kahn, L. R.; Pople, J. A., program 406 in Quantum Chemistry Program Exchange Catalogue 13 (Indiana University, Bloomington, 1981 ).
    (9) Dupuis, M.; Spangler, D.; Wendoloski, J. J. NRCC Software Catalog, 1980, Vol. 1, Program No. QG01.
    (10) Davidson, E. R.; McMurchie, L.; Elbert, S.; Langhoff, S.; Rawlings, D.; Feller, D. (Quantum Chemistry Group, University of Washington).
    (11) The result of 2-electron/2-orbital MCSCF for ${ }^{3} \mathrm{~B}_{1}$ is exactly the same as that of open-shell RHF in the case of $\mathrm{CH}_{2}$ or $\mathrm{SiH}_{2}$.
    (12) (a) Harding, L. B.; Goddard, W. A., III Chem. Phys. Lett. 1978, 55, 217. (b) Shih, S.; Peyerimhoff, S. D.; Buenker, R. J.; Feric, M. Chem. Phys. Lett. 1978, 55, 206.
    (13) Rice, J. E.; Handy, N. C. Chem. Phys. Lett. 1984, 107, 365.
    (14) Bunker, P. R.; Jensen, P. J. Chem. Phys. 1983, 79, 1224.
    (1 5) Herzberg, G.; Johns, J. W. C. Proc. R. Soc. London, Ser. A 1966, 295, 107.
    (16) McKellar, A. R, W.; Bunker, P. R.; Sears, T. J.; Evenson, K. M.; Saykally, R. J.; Langhoff, S. R. J. Chem. Phys. 1983, 79, 5251.

[^2]:    (17) Herzberg, G. "Electronic Spectra of Polyatomic Molecules"; Van Nostrand: Princeton, 1966.
    (18) Colvin, M. E.; Grev, R. S.; Schaefer, H. F., III Chem. Phys. Lett. 1983, 99, 399.
    (19) Dubois, I.; Herzberg, G.; Verma, R. D. J. Chem. Phys. 1967, 47, 4262.

[^3]:    (21) Energy decomposition analysis (Kitaura, K.; Morokuma, K. Int. J, Quantum Chem. 1976, 10, 325) with the HFR wave function was carried out at two conformations of silaethylene. Geometries of $\mathrm{SiH}_{2}$ and $\mathrm{CH}_{2}$ fragments are fixed at the optimum values for the isolated $\mathrm{SiH}_{2}\left({ }^{1} \mathrm{~A}_{1}\right)$ and $\mathrm{CH}_{2}\left({ }^{1} \mathrm{~A}_{1}\right)$ states, respectively, and the $\mathrm{Si}-\mathrm{C}$ distance was fixed at $5.0 \AA$. In the first conformation, the $\mathrm{SiH}_{2}$ plane is perpendicular to the $\mathrm{Si}-\mathrm{C}$ axis and the $\mathrm{CH}_{2}$ plane is parallel to the axis. In the second conformation, the $\mathrm{SiH}_{2}$ plane is parallel to the $\mathrm{Si}-\mathrm{C}$ axis and the $\mathrm{CH}_{2}$ plane is perpendicular to the $\mathrm{Si}-\mathrm{C}$ axis. The first conformation was calculated more stable than the second conformation. The stabilization energy is $1.3 \mathrm{kcal} / \mathrm{mol}$ for the first conformation and $0.4 \mathrm{kcal} / \mathrm{mol}$ for the second case. EDA shows that the dominant component of the stabilization energy was analyzed to the the electrostatic interaction energy, $1.2 \mathrm{kcal} / \mathrm{mol}$ for the first case and $0.3 \mathrm{kcal} / \mathrm{mol}$ for the second. It is more favorable to have a large $\mathrm{CH}_{2}$ dipole alligned parallel to the $\mathrm{Si}-\mathrm{C}$ axis in the long $\mathrm{Si}-\mathrm{C}$ distance region.

